

4th Grade Math: Line Plots with Fractions in a Unit

Lesson Objective:

By the end of this lesson, students will be able to:

- Create and interpret line plots that involve fractions.
- Use line plots to represent data where measurements are in fractions of a unit (e.g., $\frac{1}{2}$, $\frac{1}{4}$, $\frac{3}{4}$).
- Solve real-world problems by analyzing data on a line plot.

1. Introduction to Line Plots

What is a Line Plot?

- A line plot is a graph that shows frequency of data along a number line.
- Each "X" above a number represents one occurrence of that data point.

When do we use fractions on a line plot?

- Sometimes measurements are not whole numbers. For example, if we measure the length of different objects, some might be $\frac{1}{2}$, $\frac{1}{4}$, or $\frac{3}{4}$ of a unit long.

2. Creating a Line Plot with Fractions

Example 1:

The table below shows the lengths of different ribbons measured in feet:

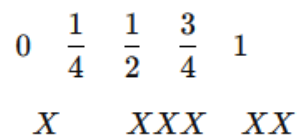
Ribbon	Length (feet)
A	$\frac{1}{2}$
B	$\frac{3}{4}$
C	$\frac{1}{4}$
D	$\frac{1}{2}$
E	$\frac{3}{4}$
F	$\frac{1}{2}$

Step-by-Step:

1. Draw a number line. Include all the fractions that appear in the data: $\frac{1}{4}$, $\frac{1}{2}$, $\frac{3}{4}$, 1.
2. Mark an "X" above each fraction for every ribbon length that matches it.

Length (feet)	Number of Ribbons (X)
$\frac{1}{4}$	X
$\frac{1}{2}$	XXX
$\frac{3}{4}$	XX

Line Plot:



3. Interpreting a Line Plot with Fractions

Key Questions:

- Which ribbon length appears the most?
 - $\frac{1}{2}$ feet appears 3 times, so it's the most common length.
- How many ribbons are longer than $\frac{1}{4}$ feet?
 - Ribbons that are $\frac{1}{2}$ feet or $\frac{3}{4}$ feet long are longer than $\frac{1}{4}$, so there are $3 + 2 = 5$ ribbons.
- What is the total number of ribbons?
 - Add up all the X's: $1 + 3 + 2 = 6$ ribbons.

4. Solving Real-World Problems Using Line Plots

Scenario:

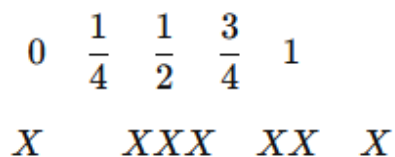
Students in a class measure the length of their pencils. The lengths are recorded in inches:

Pencil	Length (inches)
A	$\frac{3}{4}$
B	$\frac{1}{2}$
C	1
D	$\frac{1}{4}$
E	$\frac{3}{4}$
F	$\frac{1}{2}$
G	$\frac{1}{2}$

Step-by-Step:

1. Create a line plot with the data.
2. Answer questions about the data.

Line Plot:



Questions:

1. How many pencils are shorter than 1 inch?
 - All the pencils measured $\frac{1}{4}$, $\frac{1}{2}$, and $\frac{3}{4}$ are shorter than 1 inch.
 - So, there are $1 + 3 + 2 = 6$ pencils shorter than 1 inch.
2. Which pencil length is most common?
 - $\frac{1}{2}$ inches is the most common length, with 3 pencils.

5. Practice Problems

1. **Make a Line Plot:** The lengths of different sticks are measured in feet: $\frac{1}{4}$, $\frac{1}{4}$, $\frac{1}{2}$, $\frac{3}{4}$, $\frac{1}{4}$, $\frac{1}{2}$.

- Create a line plot to represent the data.
- How many sticks are shorter than $\frac{1}{2}$ feet?

2. **Interpreting a Line Plot:** A line plot shows the weights of different fruit baskets in pounds:

Weight (pounds)	Number of Baskets (X)
$\frac{1}{2}$	XXXX
$\frac{3}{4}$	XXX
1	XX

- How many baskets weigh more than $\frac{1}{2}$ pound?
- What is the total number of baskets?

6. Class Discussion

- Why is it helpful to use a line plot when working with fractions?
- Can you think of other situations where fractions would be useful on a line plot? (Examples: Measuring height, time spent on different activities, or amounts of ingredients used in a recipe.)

7. Review and Wrap-Up

- **Key Points:**
 - A line plot is a useful way to represent fractional data visually.
 - Line plots can help us quickly understand which values are most frequent and allow us to solve real-world problems.

Exit Question: Create a line plot with the following data: $\frac{1}{2}$, $\frac{1}{4}$, $\frac{1}{4}$, 1, $\frac{3}{4}$, $\frac{1}{2}$. How many values are equal to or greater than $\frac{1}{2}$?